

Formal Analysis of Key Management APIs

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INRIA & LSV, ENS de Cachan



Host machine



Trusted device



Security API

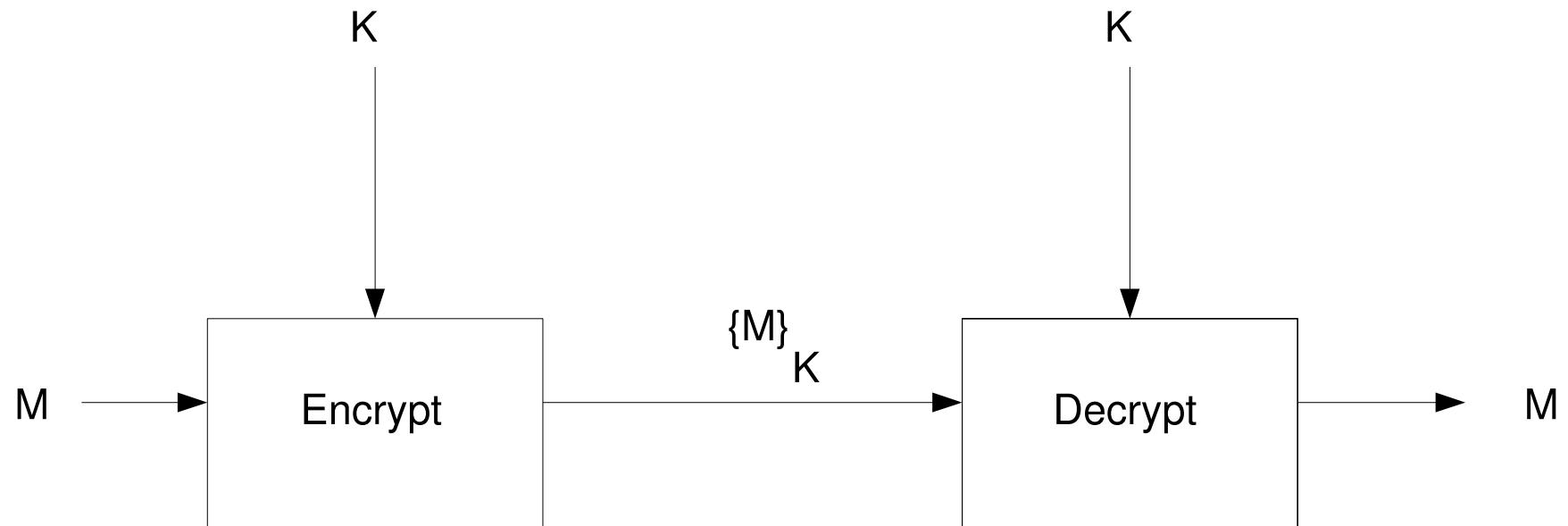
Cryptographic key management

The ‘elephant in the room’ of cryptographic security

- Key creation and destruction
- Key establishment and distribution
- Key storage and backup
- Key use according to policy
- For many hundreds of keys (every employee laptop, smartcard, credential, ticket, token, device, ...)
- .. and all in a secure, robust way in a distributed system in a hostile environment

Crypto Basics

We consider only symmetric key crypto



Problem is now the security of key K

Model

Signature $\Sigma ::= N, X, F, P$

Plain terms

$$\begin{array}{lll} t, t_i & := & x \quad & x \in X \\ & | & n \quad & n \in N \\ & | & f(t_1, \dots, t_n) \quad & f \in F \end{array}$$

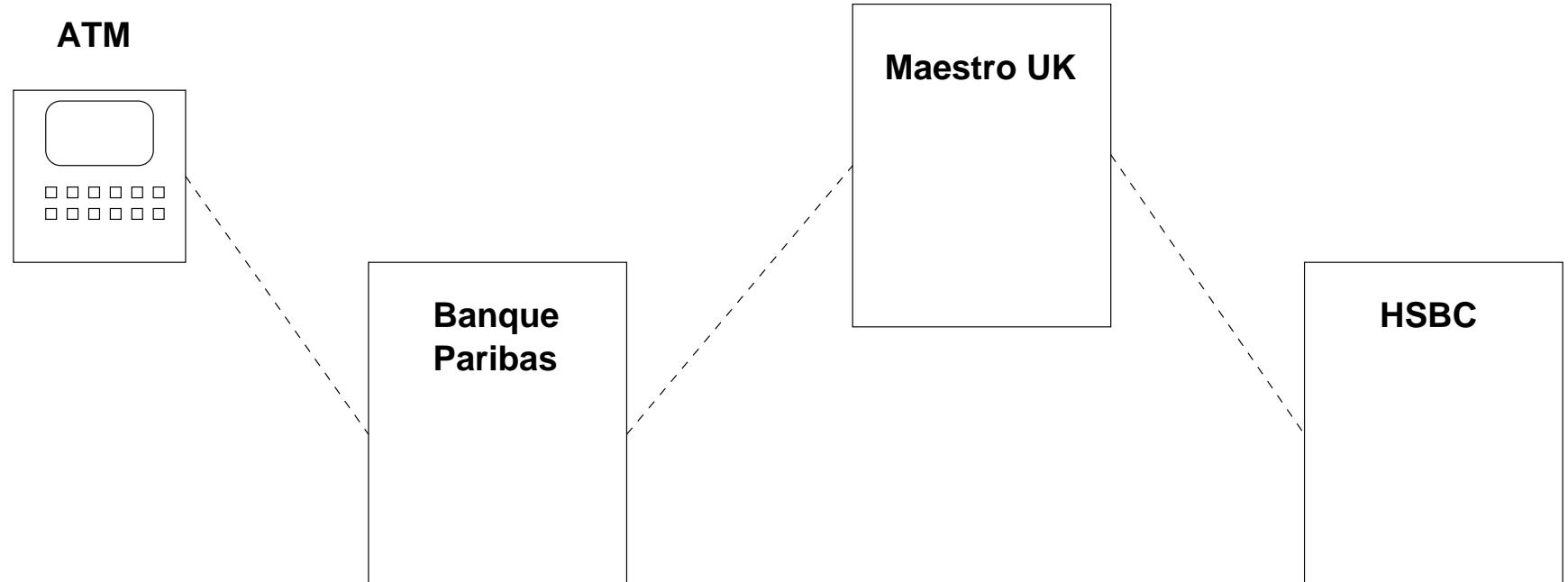
Facts

$$l = \{p(t, b) \mid p \in P, t \in T, b \in \{\top, \perp\}\}$$

Rules

$$T; L \xrightarrow{\text{new } \tilde{n}} T'; L'$$

Cash Machine Network



HSMs



- Manufacturers include IBM, VISA, nCipher, Thales, Utimaco, HP
- Cost around \$10 000

A Word About Your PIN

IPIN derived by:

Write account number (PAN) as 0000AAAAAAAAAAAAAA

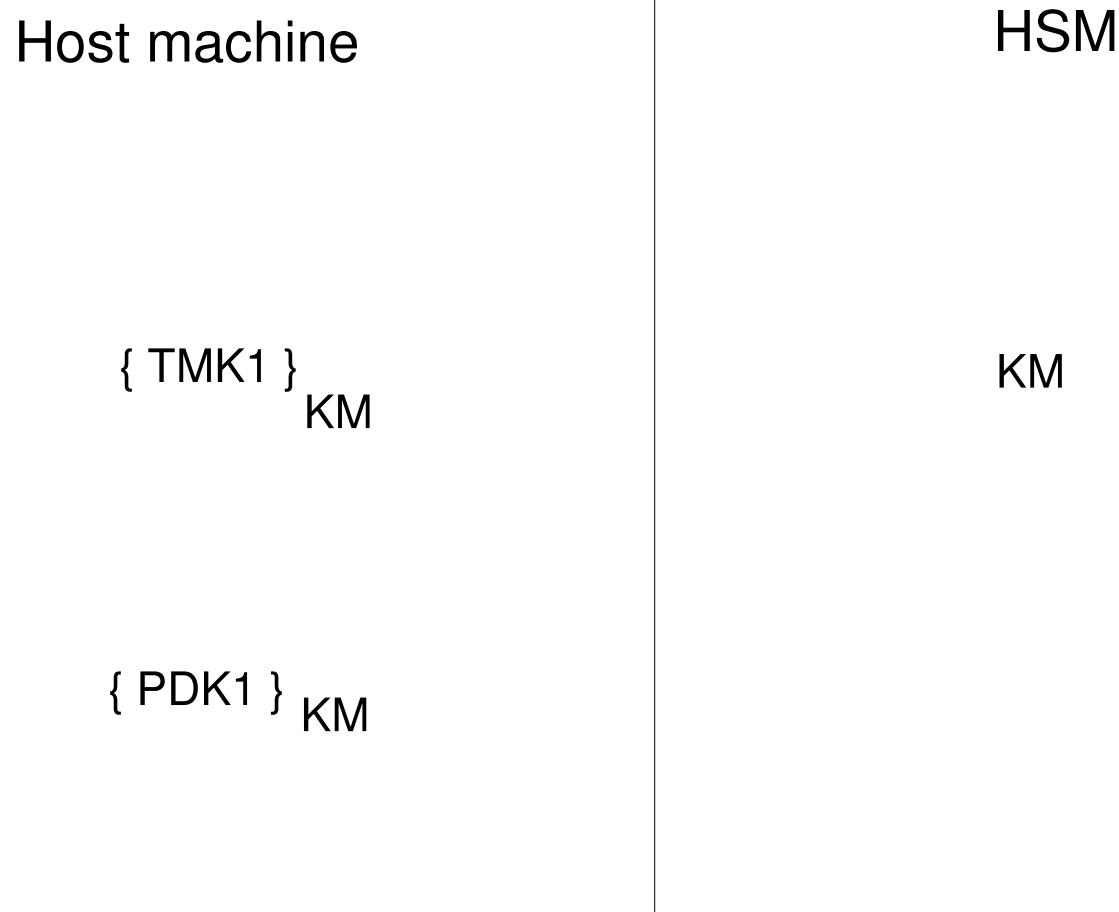
Encrypt under a PIN Derivation Key (PDK)

$$\{\text{PAN}\}_{\text{PDK}} = \text{IPIN}$$

$\text{PIN} = \text{IPIN} + \text{Offset}$ (modulo 10 each digit)

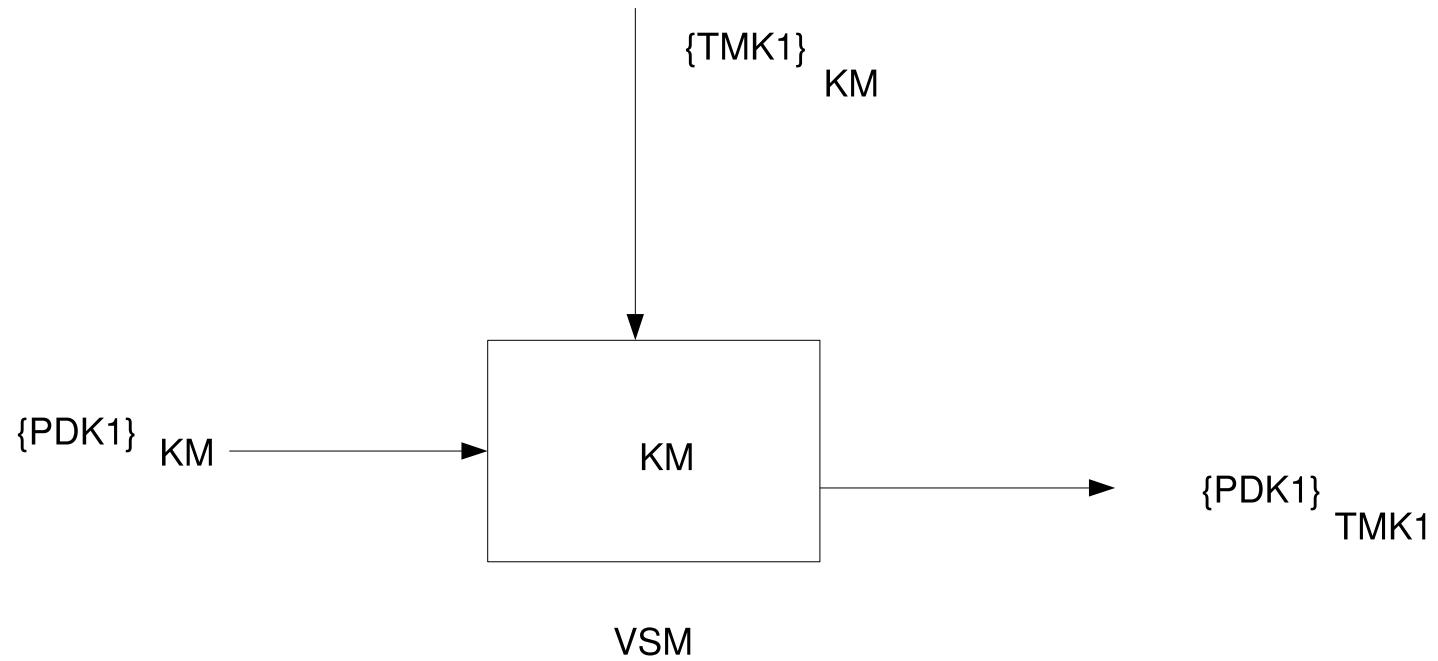
Offset NOT secure!

Master Key Scheme



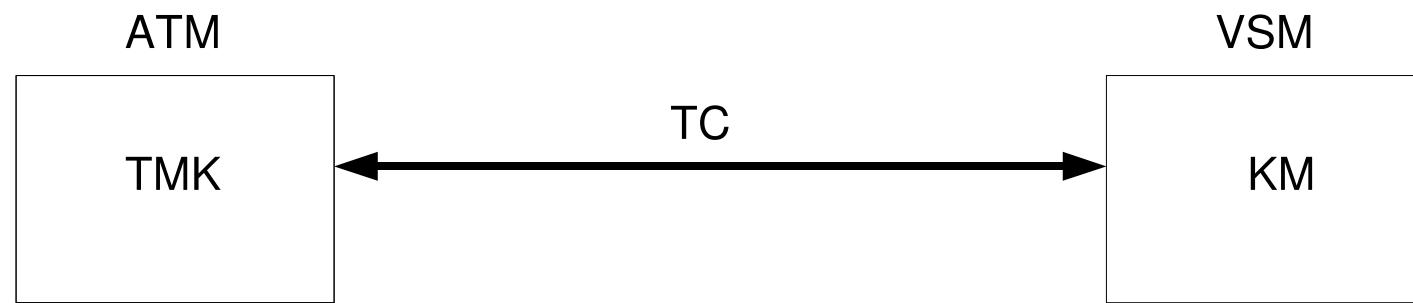
TMK = Terminal Master Key

Example: Send PDK to Terminal



$$\{PDK1\}_{km}, \{TMK1\}_{km} \rightarrow \{PDK1\}_{TMK1}$$

Terminal Comms (TC) Key



Managing Key Types

Host machine

{ TMK1 }
KM

{ PDK1 } KM

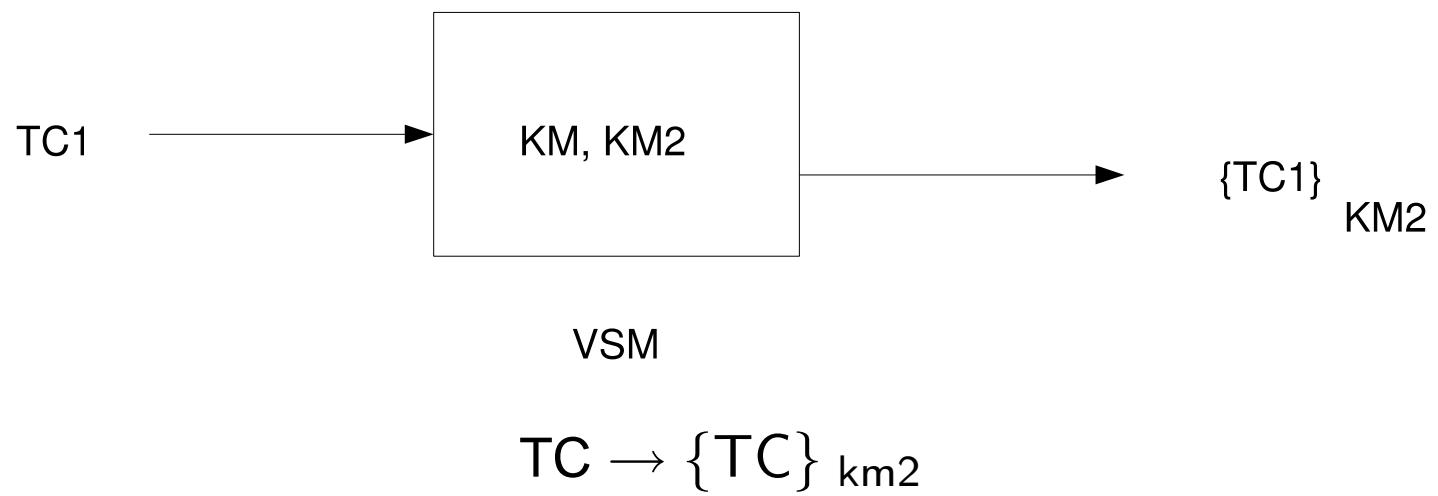
{ TC1 } KM2

VSM

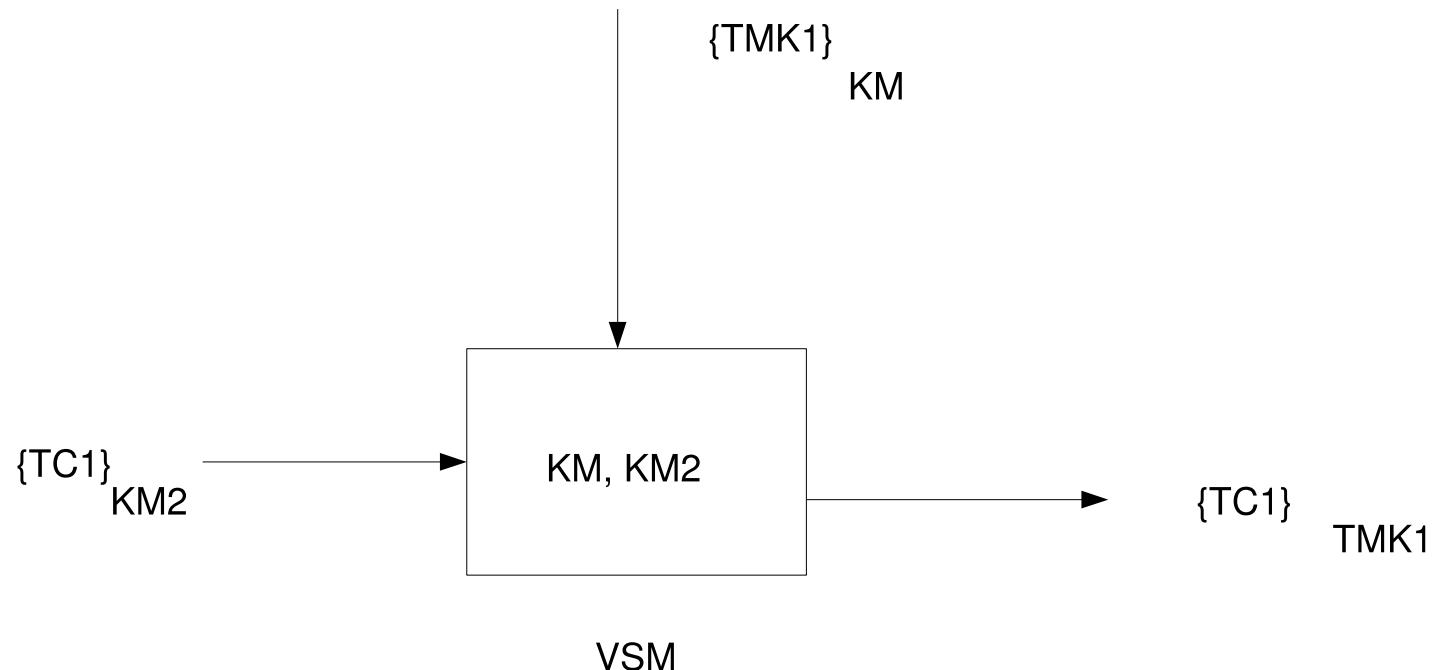
KM

KM2

Example: Enter TC key

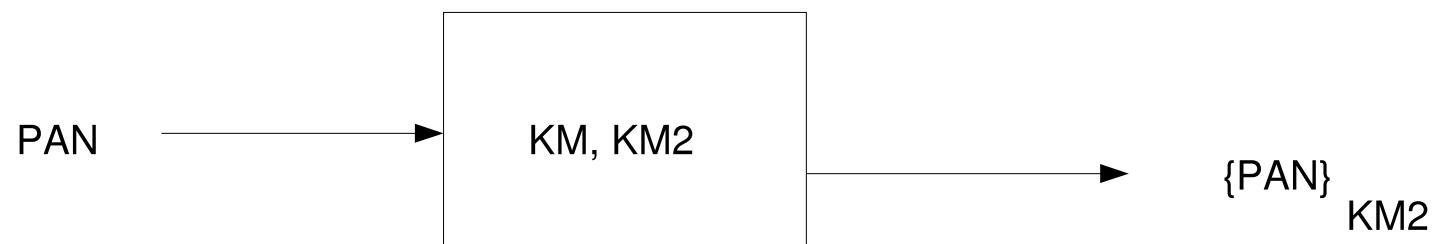


Example: Send TC to Terminal



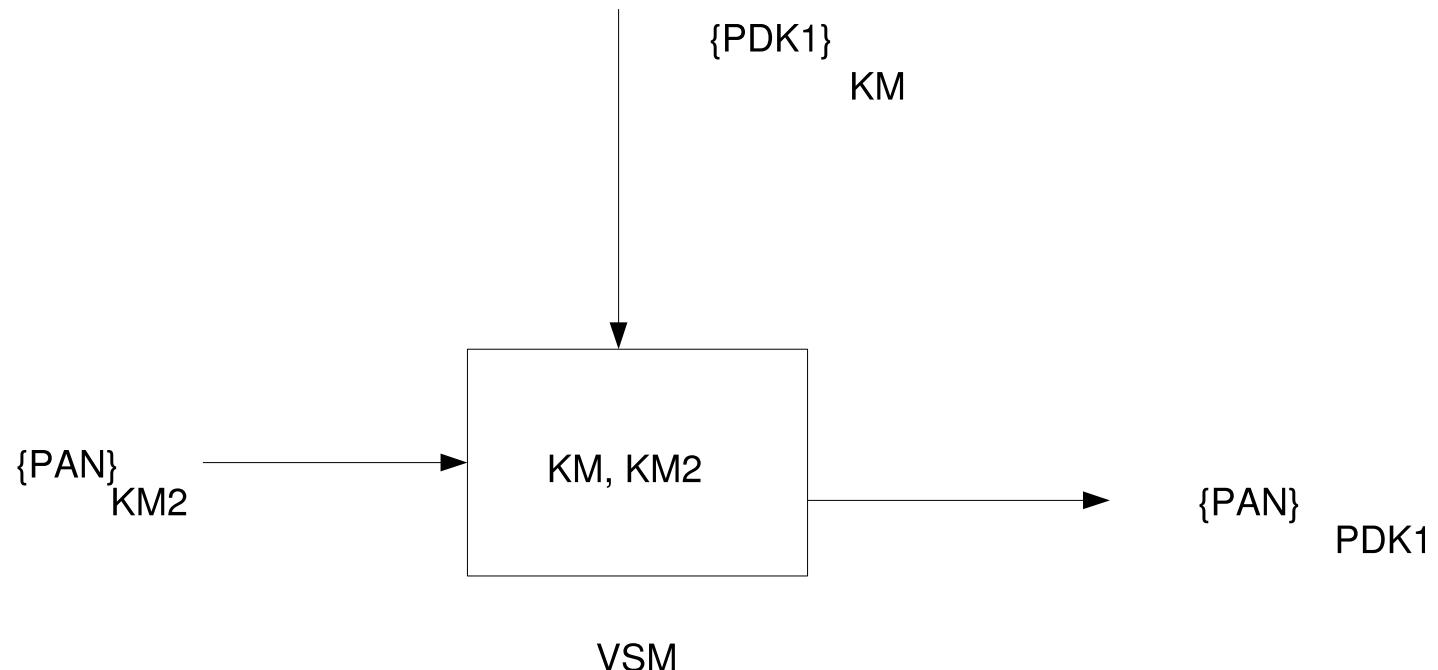
$$\{\text{TC}\}_{km2}, \{\text{TMK1}\}_{km} \rightarrow \{\text{TC}\}_{TMK1}$$

Attack - Step 1



$$\text{PAN} \rightarrow \{\text{PAN}\}_{\text{km2}}$$

Attack - Step 2

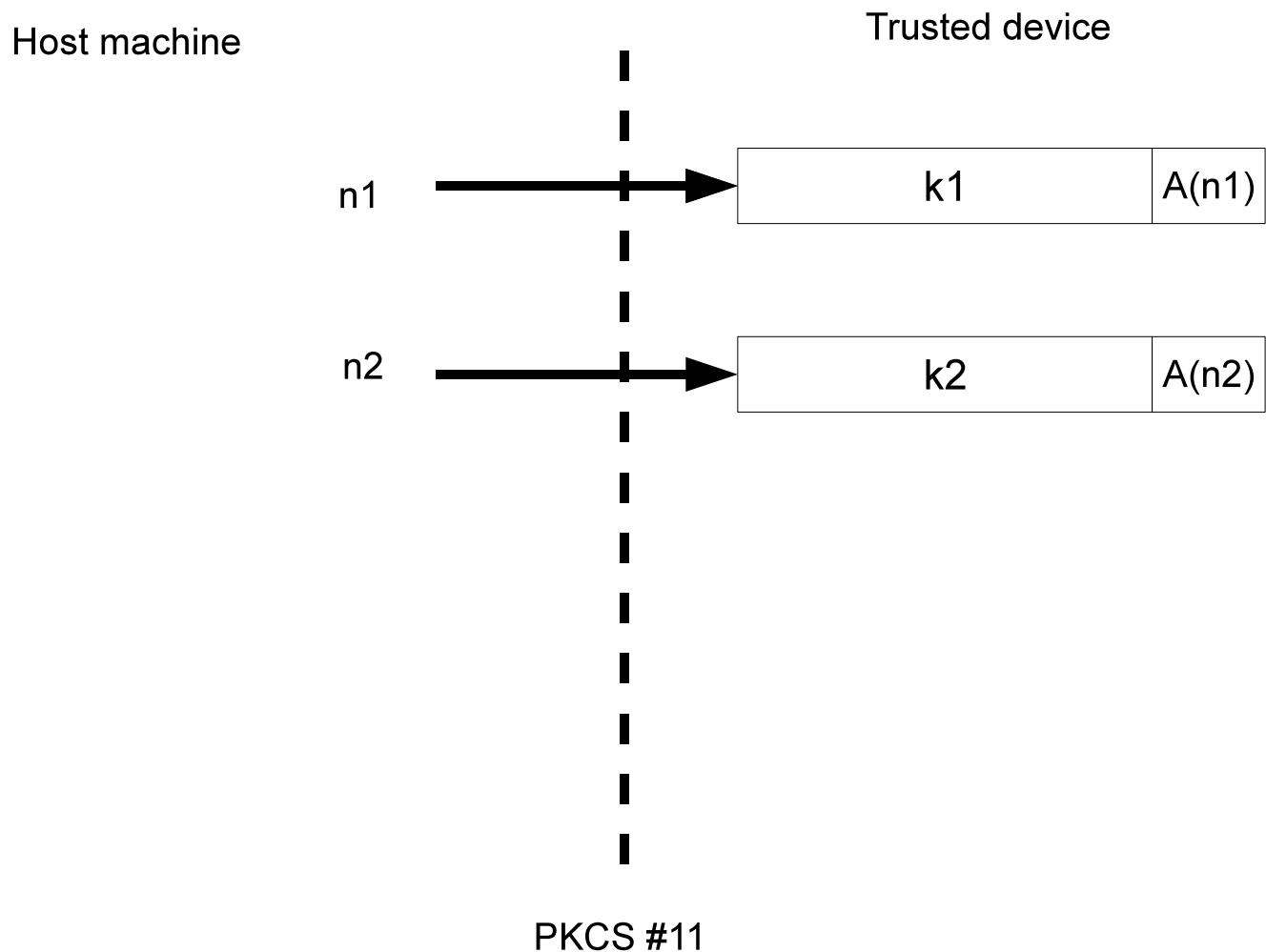

$$\{PAN\}_{km2}, \{PDK1\}_{km} \rightarrow \{PAN\}_{PDK1}$$

VSM - Formal Model

$$\begin{array}{ccc} X, Y & \rightarrow & \{X\}_Y \\ \{X\}_Y, Y & \rightarrow & X \\ & \xrightarrow{\text{new tmk}} & \{tmk\}_{km} \\ TC & \rightarrow & \{TC\}_{km2} \\ \{PDK\}_{km}, \{TMK\}_{km} & \rightarrow & \{PDK\}_{TMK} \\ \{TC\}_{km2}, \{TMK\}_{km} & \rightarrow & \{TC\}_{TMK} \end{array}$$

$I = \{\{pdk\}_{km}, pan\}, +8 \text{ more rules}$ SWV237, 238 (www.tptp.org)

CASC at FLoC '10: 9/17 provers can find the attack, only E can find model



PKCS#11

Ubiquitous in authentication tokens, smartcards,...

RSA PKCS#11 is specified in a 400 page document

We consider here a core fragment of key management operations

Not included: signing, verification, certificate management, etc.

$h(n_1, k_1)$ - a handle n_1 for key k_1 (h is a *private symbol*)

$a_1(n_1)$ - setting of attribute a_1 for handle n_1

We consider attributes:

$\text{encrypt}(n), \text{decrypt}(n), \text{sensitive}(n)$

$\text{extract}(n), \text{wrap}(n), \text{unwrap}(n)$

Key Management - 1

KeyGenerate :

$$\xrightarrow{\text{new } n,k} h(n,k); L$$

Where $L = \neg \text{extractable}(n), \neg \text{wrap}(n), \neg \text{unwrap}(n),$
 $\neg \text{encrypt}(n), \neg \text{decrypt}(n), \neg \text{sensitive}(n)$

Key Management - 2

Set_Wrap : $h(x_1, y_1); \neg\text{wrap}(x_1) \rightarrow ;\text{wrap}(x_1)$

Set_Encrypt : $h(x_1, y_1); \neg\text{encrypt}(x_1) \rightarrow ;\text{encrypt}(x_1)$

:

:

UnSet_Wrap : $h(x_1, y_1); \text{wrap}(x_1) \rightarrow ;\neg\text{wrap}(x_1)$

UnSet_Encrypt : $h(x_1, y_1); \text{encrypt}(x_1) \rightarrow ;\neg\text{encrypt}(x_1)$

:

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Some restrictions, e.g. can't unset sensitive

Key Management - 3

Wrap :

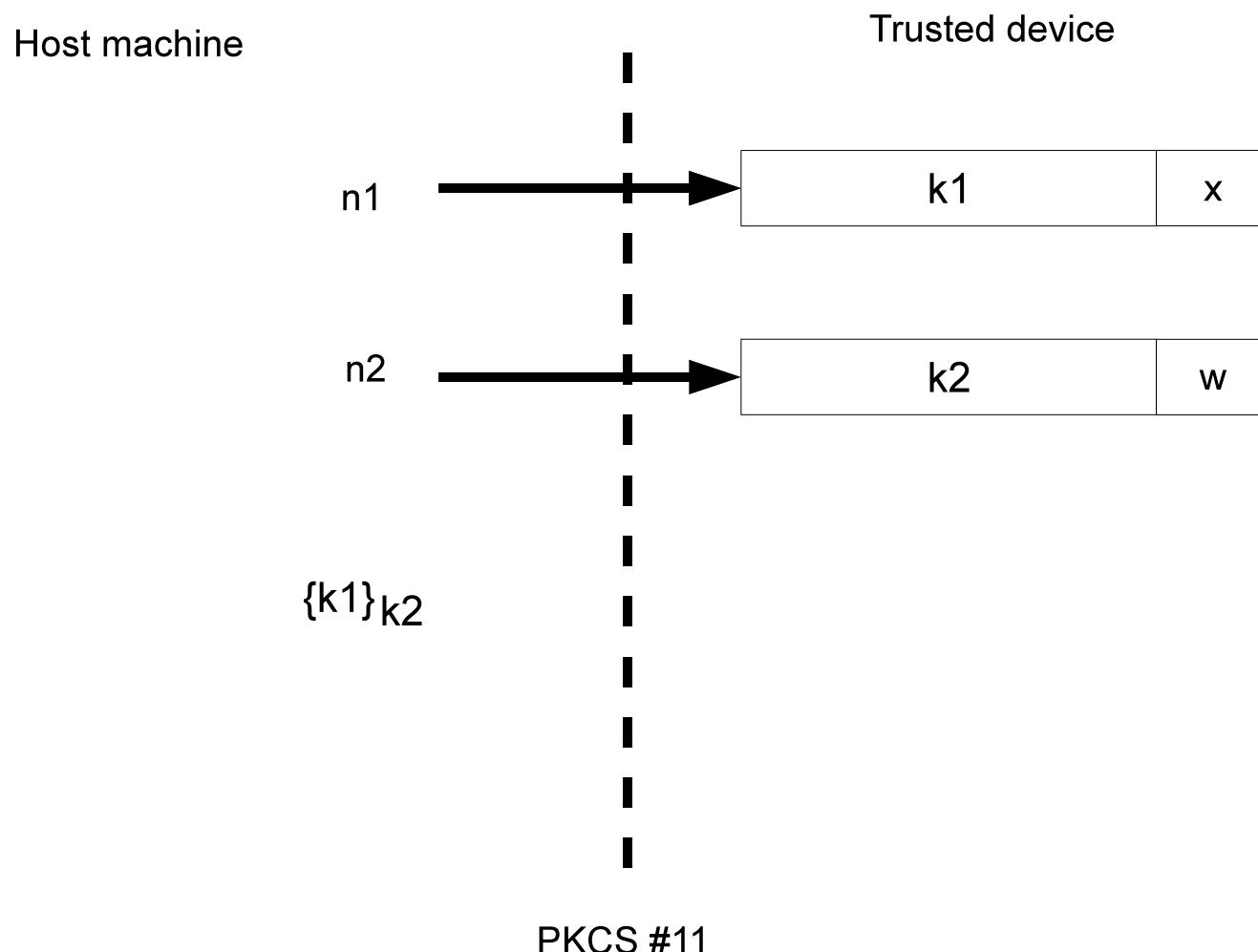
$$h(x_1, y_1), h(x_2, y_2); \text{wrap}(x_1), \rightarrow \{y_2\}_{y_1}$$
$$\text{extract}(x_2)$$

Unwrap :

$$h(x_2, y_2), \{y_1\}_{y_2}; \text{unwrap}(x_2) \xrightarrow{\text{new } n_1} h(n_1, y_1); \text{extract}(n_1), L$$

where $L =$

$$\neg \text{wrap}(n_1), \neg \text{unwrap}(n_1), \neg \text{encrypt}(n_1), \neg \text{decrypt}(n_1), \neg \text{sensitive}(n_1).$$



Key Usage

Encrypt :

$$h(x_1, y_1), y_2; \text{encrypt}(x_1) \rightarrow \{y_2\}_{y_1}$$

Decrypt :

$$h(x_1, y_1), \{y_2\}_{y_1}; \text{decrypt}(x_1) \rightarrow y_2$$

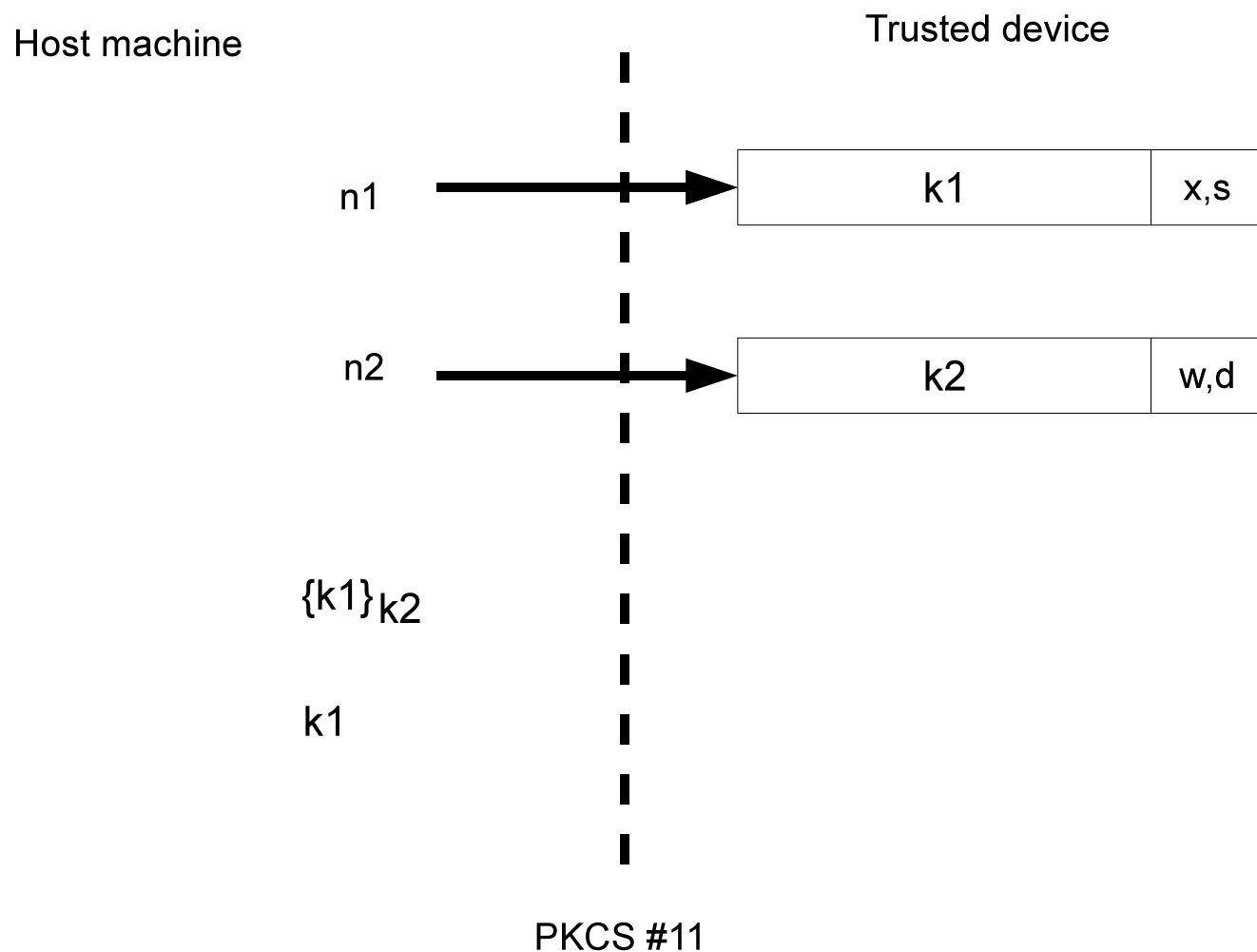
Key Separation Attack (Clulow, 2003)

Intruder knows: $h(n_1, k_1), h(n_2, k_2)$.

State: wrap(n_2), decrypt(n_2), sensitive(n_1), extract(n_1)

Wrap: $h(n_2, k_2), h(n_1, k_1) \rightarrow \{k_1\}_{k_2}$

Decrypt: $h(n_2, k_2), \{k_1\}_{k_2} \rightarrow k_1$



Fix decrypt/wrap attack..

Set_Wrap : $h(x_1, y_1); \neg\text{wrap}(x_1), \neg\text{decrypt}(x_1) \rightarrow \text{wrap}(x_1)$

Set_Decrypt : $h(x_1, y_1); \neg\text{wrap}(x_1), \neg\text{decrypt}(x_1) \rightarrow \text{decrypt}(x_1)$

~~Unset_Wrap~~

~~Unset_Decrypt~~

Another Attack

Intruder knows: $h(n_1, k_1), h(n_2, k_2), k_3$

State: sensitive(n_1), extract(n_1), unwrap(n_2), encrypt(n_2)

SEncrypt: $h(n_2, k_2), k_3 \rightarrow \{k_3\}_{k_2}$

Unwrap: $h(n_2, k_2), \{k_3\}_{k_2} \xrightarrow{\text{new } n_3} h(n_3, k_3)$

Set_wrap: $h(n_3, k_3) \rightarrow \text{wrap}(n_3)$

Wrap: $h(n_3, k_3), h(n_1, k_1) \rightarrow \{k_1\}_{k_3}$

Intruder: $\{k_1\}_{k_3}, k_3 \rightarrow k_1$

Fix decrypt/unwrap, encrypt/unwrap..

Intruder knows: $h(n_1, k_1), h(n_2, k_2), k_3$

State: sensitive(n_1), extract(n_1), extract(n_2)

Set_wrap: $h(n_2, k_2) \rightarrow ;\text{wrap}(n_2)$

Set_wrap: $h(n_1, k_1) \rightarrow ;\text{wrap}(n_1)$

Wrap: $h(n_1, k_1), h(n_2, k_2) \rightarrow \{k_2\}_{k_1}$

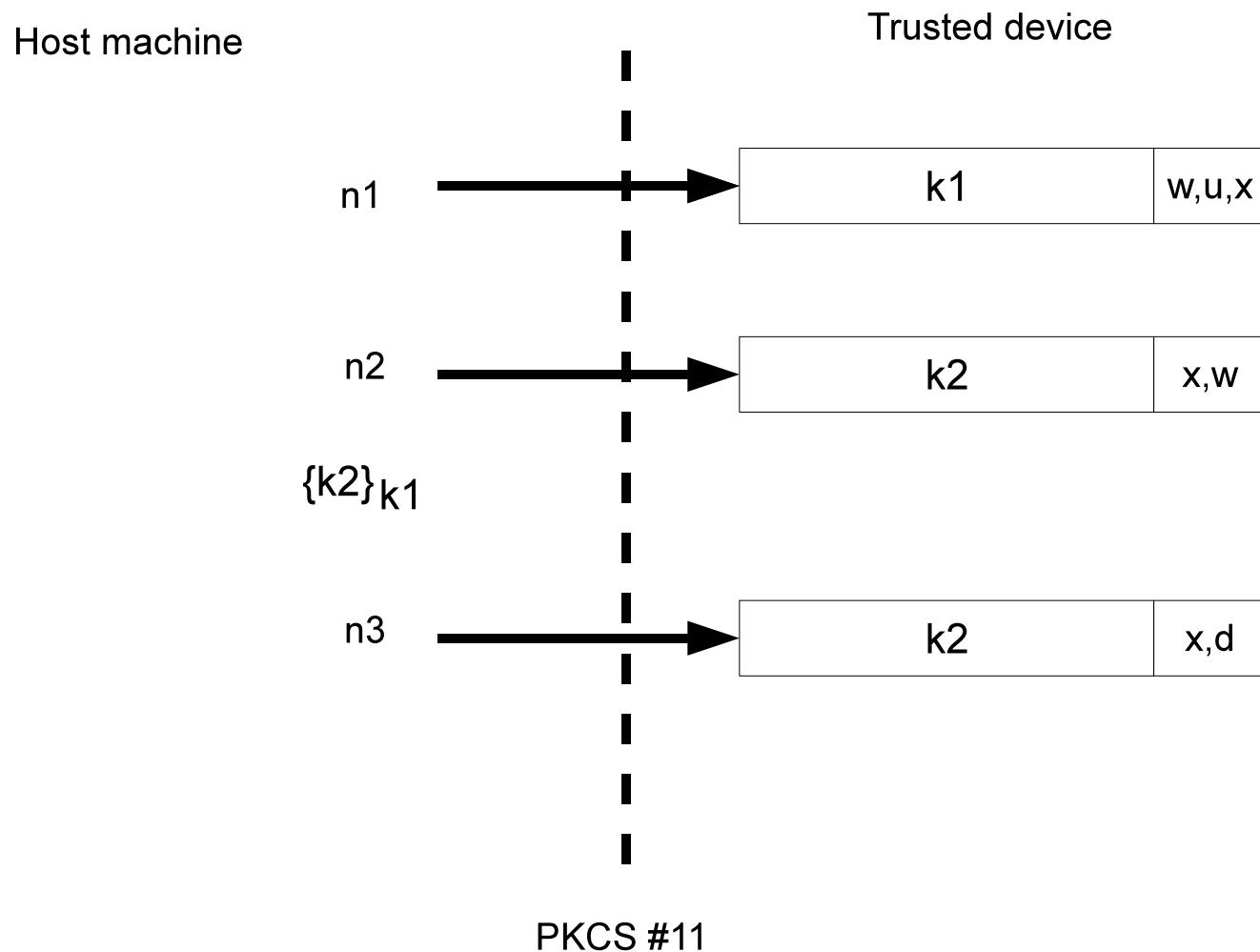
Set_unwrap: $h(n_1, k_1) \rightarrow ;\text{unwrap}(n_1)$

Unwrap: $h(n_1, k_1), \{k_2\}_{k_1} \xrightarrow{\text{new } n_3} h(n_3, k_2)$

Wrap: $h(n_2, k_2), h(n_1, k_1) \rightarrow \{k_1\}_{k_2}$

Set_decrypt: $h(n_3, k_2) \rightarrow ;\text{decrypt}(n_3)$

Decrypt: $h(n_3, k_2), \{k_1\}_{k_2} \rightarrow k_1$



Modes

$h : \text{Nonce} \times \text{Key} \rightarrow \text{Handle}$
 $\text{senc} : \text{Key} \times \text{Key} \rightarrow \text{Cipher}$
 $\text{aenc} : \text{Key} \times \text{Key} \rightarrow \text{Cipher}$
 $\text{pub} : \text{Seed} \rightarrow \text{Key}$
 $\text{priv} : \text{Seed} \rightarrow \text{Key}$
 $a : \text{Nonce} \rightarrow \text{Attribute} \quad \text{for all } a \in \mathcal{A}$
 $x_1, x_2, n_1, n_2 : \text{Nonce}$
 $y_1, y_2, k_1, k_2 : \text{Key}$
 $z, s : \text{Seed}$

See Delaune, Kremer & S., *Formal Analysis of PKCS#11*, CSF '08

Two kinds of problem

- A bad ‘attribute policy’
 - One can set conflicting attributes for a key
- Policy not enforced
 - By copying the key using wrap/unwrap, can ‘escape’ the policy

Attack this problem by first formalising ‘attribute policy’

KeyGenerate : $\xrightarrow{\text{new } n_1, k_1} h(n_1, k_1); L(n_1), \neg \text{extract}(n_1)$

Wrap :

$h(x_1, y_1), h(x_2, y_2); \text{wrap}(x_1), \text{extract}(x_2) \rightarrow \{y_2\}_{y_1}$

Unwrap :

$h(x_2, y_2), \{y_1\}_{y_2}; \text{unwrap}(x_2) \xrightarrow{\text{new } n_1} h(n_1, y_1); L(n_1)$

Encrypt : $h(x_1, y_1), y_2; \text{encrypt}(x_1) \rightarrow \{y_2\}_{y_1}$

Decrypt : $h(x_1, y_1), \{y_2\}_{y_1}; \text{decrypt}(x_1) \rightarrow y_2$

Set_Encrypt : $h(x_1, y_1); \neg \text{encrypt}(x_1) \rightarrow \text{encrypt}(x_1)$

UnSet_Encrypt : $h(x_1, y_1); \text{encrypt}(x_1) \rightarrow \neg \text{encrypt}(x_1)$

:

:

KeyGenerate : $\xrightarrow{\text{new } n_1, k_1} h(n_1, k_1); A(n_1)$

Wrap :

$h(x_1, y_1), h(x_2, y_2); \text{wrap}(x_1), \text{extract}(x_2) \rightarrow \{y_2\}_{y_1}$

Unwrap :

$h(x_2, y_2), \{y_1\}_{y_2}; \text{unwrap}(x_2) \xrightarrow{\text{new } n_1} h(n_1, y_1); A(n_1)$

Encrypt : $h(x_1, y_1), y_2; \text{encrypt}(x_1) \rightarrow \{y_2\}_{y_1}$

Decrypt : $h(x_1, y_1), \{y_2\}_{y_1}; \text{decrypt}(x_1) \rightarrow y_2$

Set_Attribute_Value : $h(x_1, y_1); A_1(x_1) \rightarrow A_2(x_1)$

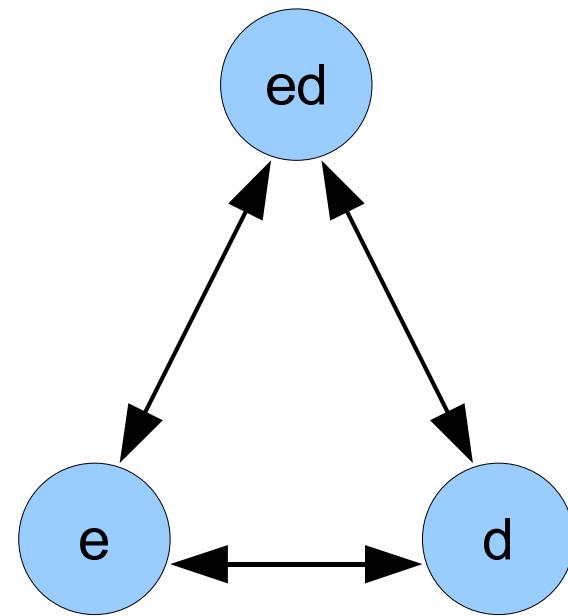
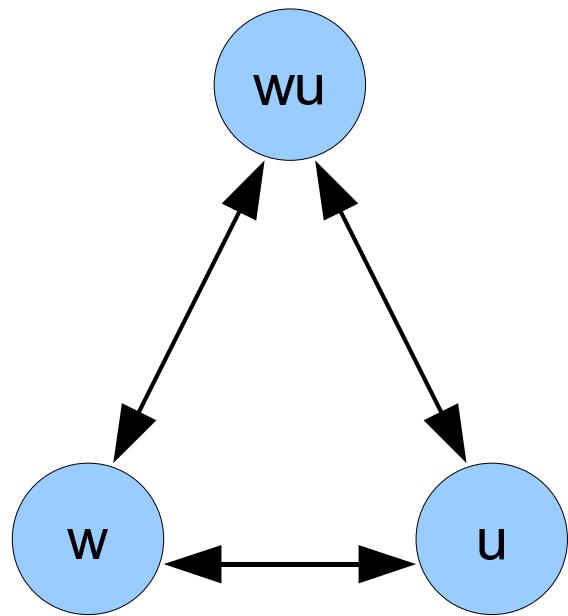
Attribute Policy

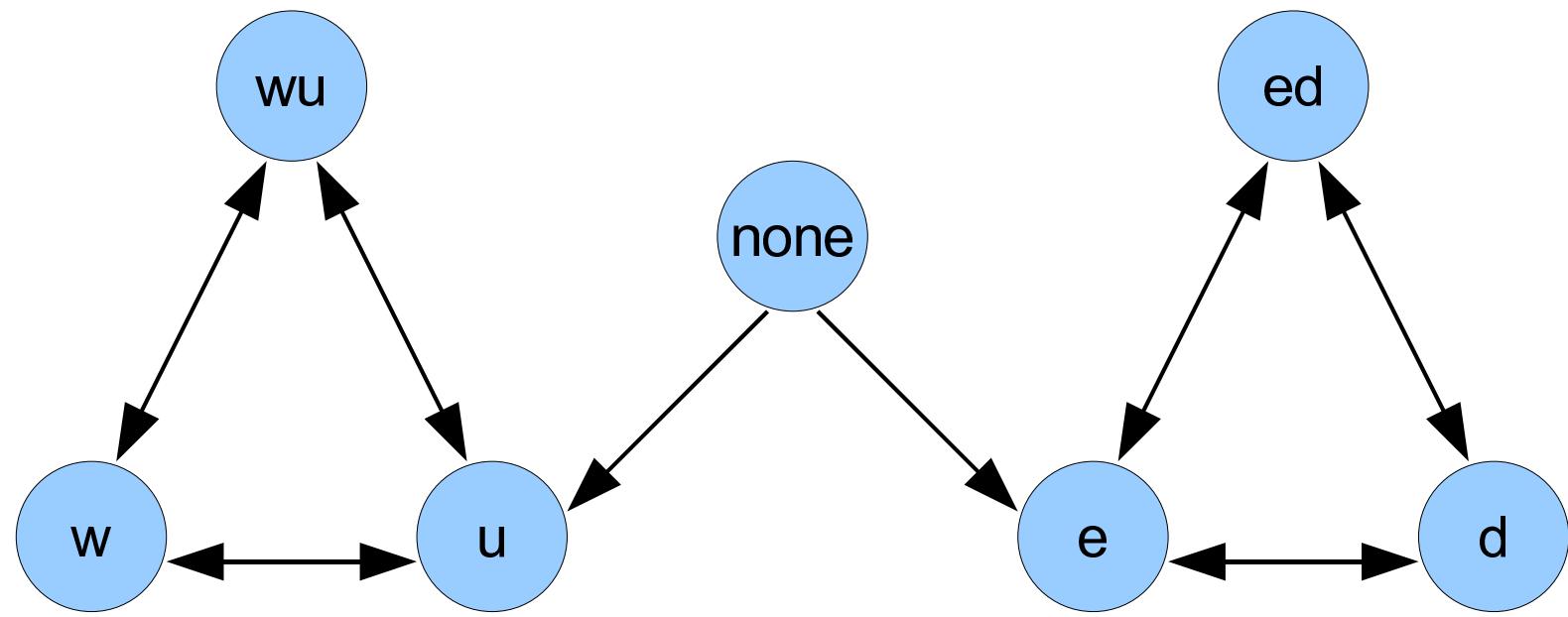
An *attribute policy* is a finite directed graph $P = (S_P, \rightarrow_P)$ where S_P is the set of allowable object states, and $\rightarrow_P \subseteq S_P \times S_P$ is the set of allowable transitions between the object states.

An attribute policy $P = (S, \rightarrow)$ is *complete* if P consists of a collection of disjoint, disconnected cliques, and for each clique C ,

$$c_0, c_1 \in C \Rightarrow c_0 \cup c_1 \in C$$

We insist on complete policies, assuming intruder can always copy keys.





Endpoints

We call the object states of S that are maximal in S with respect to set inclusion *end points* of P .

Theorem: Derivation in API with complete policy iff derivation in API with (static) endpoint policy

Bounds

Assume endpoint policies

Make series of simple transformations

- Bound number of fresh keys to number of endpoints #ep
 - get the same key every time a particular endpoint is requested
- Bound number of handles to $(\#ep)^2$
 - for each key, get one handle for each endpoint

Intruder always starts with his own key

so require $\#ep + 1$ keys and $(\#ep + 1)^2$ handles

KeyGenerate : $\xrightarrow{\text{new } n_1, k_1} h(n_1, k_1); A(n_1)$

Wrap :

$$h(x_1, y_1), h(x_2, y_2); \text{wrap}(x_1), A(x_2) \xrightarrow{\text{new } m_k} \{y_2\}_{y_1}, \{m_k\}_{y_1}$$

$$\text{hmac}_{m_k}(y_2, \mathcal{A})$$

Unwrap :

$$h(x_2, y_2), \{y_1\}_{y_2}, \{x_m\}_{y_2}, \xrightarrow{\text{new } n_1} h(n_1, y_1); A(n_1)$$

$$\text{hmac}_{x_m}(y_1, \mathcal{A}); \text{unwrap}(x_2)$$

Encrypt : $h(x_1, y_1), y_2; \text{encrypt}(x_1) \rightarrow \{y_2\}_{y_1}$

Decrypt : $h(x_1, y_1), \{y_2\}_{y_1}; \text{decrypt}(x_1) \rightarrow y_2$

$P = (\{e, d, ed, w, u, wu\}, \rightarrow)$ (where \rightarrow makes the obvious cliques)

Model checking

Use SATMC (U. di Genova) to check formal model for attack

A *known key* is a key k such that the intruder knows the plaintext value k and the intruder has a handle $h(n, k)$.

Property 1 If an intruder starts with no known keys, he cannot obtain any known keys.

Verified for our revised API in 0.4 sec

Property 2 If an intruder starts with a known key k_i with handle $h(n_i, k_i)$, and $ed(n_i)$ is true, then he cannot obtain any further known keys.

Attack!

Lost session key attack

Initial knowledge: Handles $h(n_1, k_1)$, $h(n_2, k_2)$, and $h(n_i, k_i)$. Key k_i .
Attributes $ed(n_1)$, $wu(n_2)$, $ed(n_i)$.

Trace:

Wrap: (ed) $h(n_2, k_2), h(n_i, k_i) \rightarrow$
 $\{k_i\}_{k_2}, \{k_3\}_{k_2}, \text{hmac}_{k_3}(k_i, ed)$

Unwrap: (wu) $h(n_2, k_2), \{k_i\}_{k_2}, \{k_i\}_{k_2},$
 $\text{hmac}_{k_i}(k_i, wu) \rightarrow h(n_2, k_i)$

Wrap: (ed) $h(n_2, k_i), h(n_1, k_1) \rightarrow$
 $\{k_1\}_{k_i}, \{k_3\}_{k_i}, \text{hmac}_{k_3}(k_1, ed)$

Decrypt: $k_i, \{k_1\}_{k_i} \rightarrow k_1$

Revised API

Wrap :

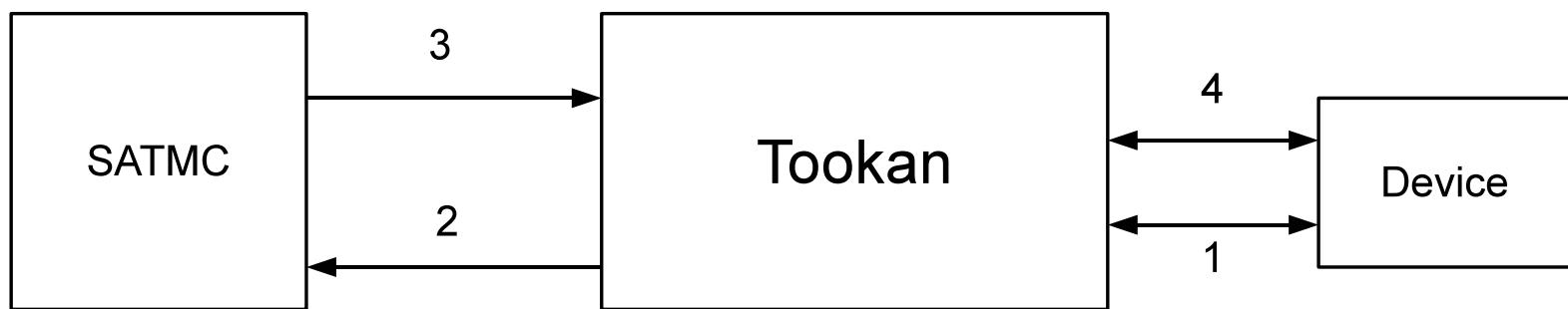
$$h(x_1, y_1), h(x_2, y_2); \text{wrap}(x_1), A(x_2) \xrightarrow{\text{new } m_k} \{y_2\}_{y_1}, \{m_k\}_{y_1} \\ \text{hmac}_{m_k}(y_2, \mathcal{A}, y_1)$$

Unwrap :

$$h(x_2, y_2), \{y_1\}_{y_2}, \{x_m\}_{y_2}, \xrightarrow{\text{new } n_1} h(n_1, y_1); A(n_1) \\ \text{hmac}_{x_m}(y_1, \mathcal{A}, y_2); \text{unwrap}(x_2)$$

Property 2 now verified by SATMC

Can also verify attribute policy is enforced



See Bortolozzo, Centenaro, Focardi & S., *Attacking and Fixing PKCS#11 Security Tokens*, to appear at ACM CCS 2010.

	Device		Supported Functionality						Attacks found					mc
	Brand	Model	sym	asym	cobj	chan	w	ws	a1	a2	a3	a4	a5	
USB	XXXX	XXXX	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	a3
	XXXX	XXXX	✓	✓	✓	✓	✓	✓	✓	✓	✓			a1
	XXXX	XXXX	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	a3
	XXXX	XXXX		✓	✓									
	XXXX	XXXX		✓			✓							
	XXXX	XXXX		✓										
	XXXX	XXXX	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	a3
	XXXX	XXXX	✓	✓	✓			✓						
	XXXX	XXXX	✓	✓			✓							
	XXXX	XXXX	✓	✓	✓									a1
Card	XXXX	XXXX	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	a3
	XXXX	XXXX	✓	✓	✓			✓	✓	✓	✓			a2
	XXXX	XXXX		✓			✓							
	XXXX	XXXX	✓	✓	✓									
	XXXX	XXXX	✓	✓	✓		✓							
	XXXX	XXXX	✓	✓	✓			✓				✓		a4
Soft	XXXX	XXXX	✓	✓		✓	✓	✓	✓	✓	✓	✓	✓	a1
	XXXX	XXXX	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	a1

A New Hope?

Proposals for new APIs by Cachin and Chandran (CSF '09), Cortier and Steel (ESORICS '09).

- CC is for a single central server with a log, CS is for distributed tokens
- possibility of unifying these proposals?

Standards processes trying to set new APIs

- OASIS Key Management Interoperability Protocol
- IEEE Security in Storage Working Group
- PKCS#11 2.30 (no improvement)

Cachin-Chandran API

- Assume only one key server, many users, log of all operations
- Keys created with no attributes. Owner of key can set permissions
- Conflicts are checked by looking in the log, e.g. 'if this key has been used by any user for wrapping, do not allow it to be used for decryption'
- Also calculates dependencies between keys
 - + very flexible, - fails immediately if a key is compromised, or if distributed over several servers

Cortier-Steel API

- Assume distributed tokens, one for each user
 - Strict hierarchy of wrap/unwrap and encrypt/decrypt keys
 - Keys created with attributes that cannot be changed in future
 - Key attributes include names of other users key can be shared with
 - All encryptions tagged with key/user information
- + strong security properties, robust to loss of keys, no central log required
- not as flexible as Cachin proposal

More on Key Management APIs

S. Delaune, S. Kremer and G. Steel. *Formal Analysis of PKCS#11 and Proprietary Extensions*. To appear in JCS 2010

V. Cortier and G. Steel. *A Generic API for Symmetric Key Management*. In ESORICS '09.

C. Chachin and N. Chandran. *A Secure Cryptographic Token Interface*. In CSF-22.

S. Fröschle and G. Steel. *Analysis of PKCS#11 APIs with Unbounded Fresh Data*, ARSPA-WITS '09.

OASIS www.oasis-open.org/committees/kmip, IEEE 1619
siswg.net

ASA-4, <http://www.lsv.ens-cachan.fr/~steel/asa4>

Interested? Internships + postdocs available, get in touch